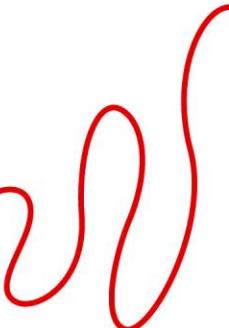
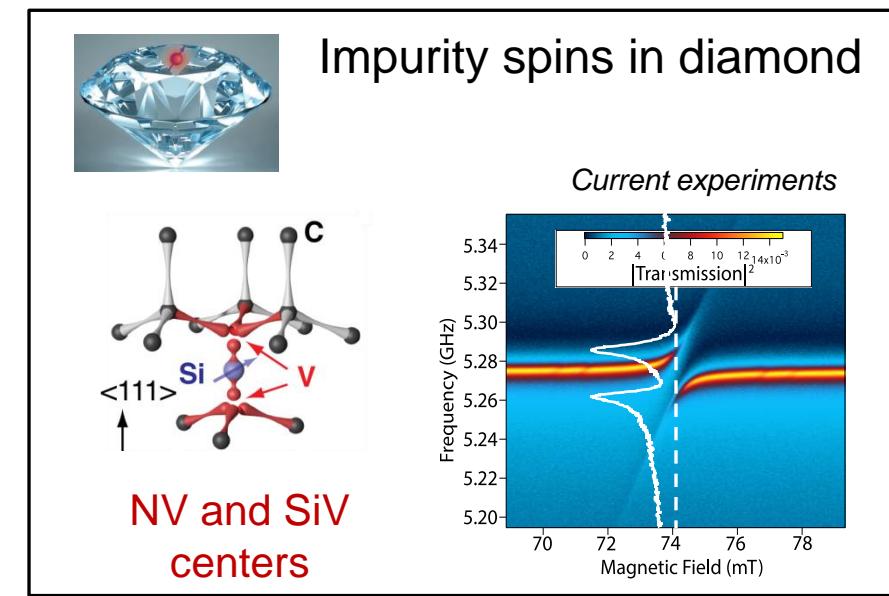
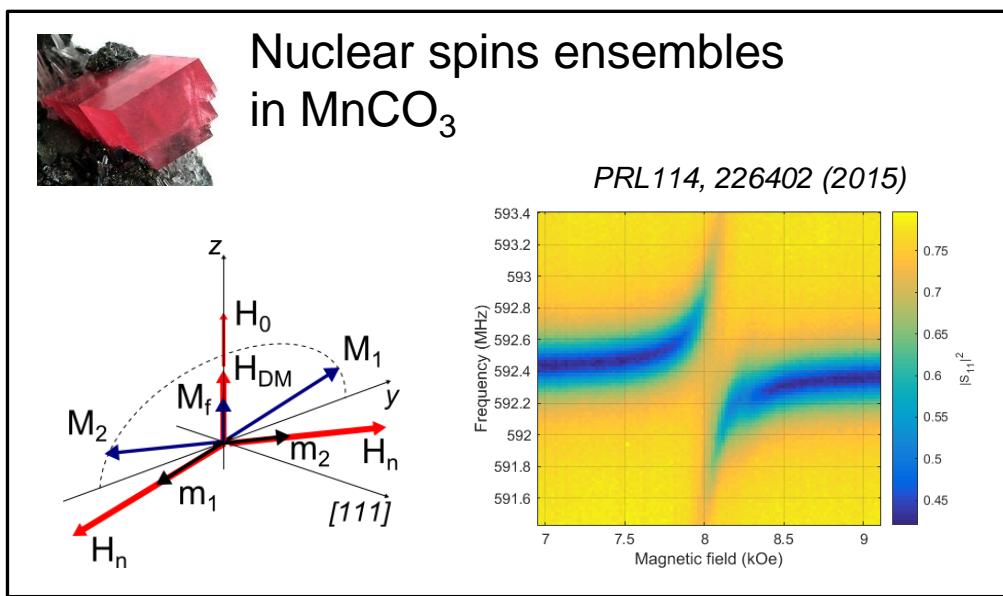
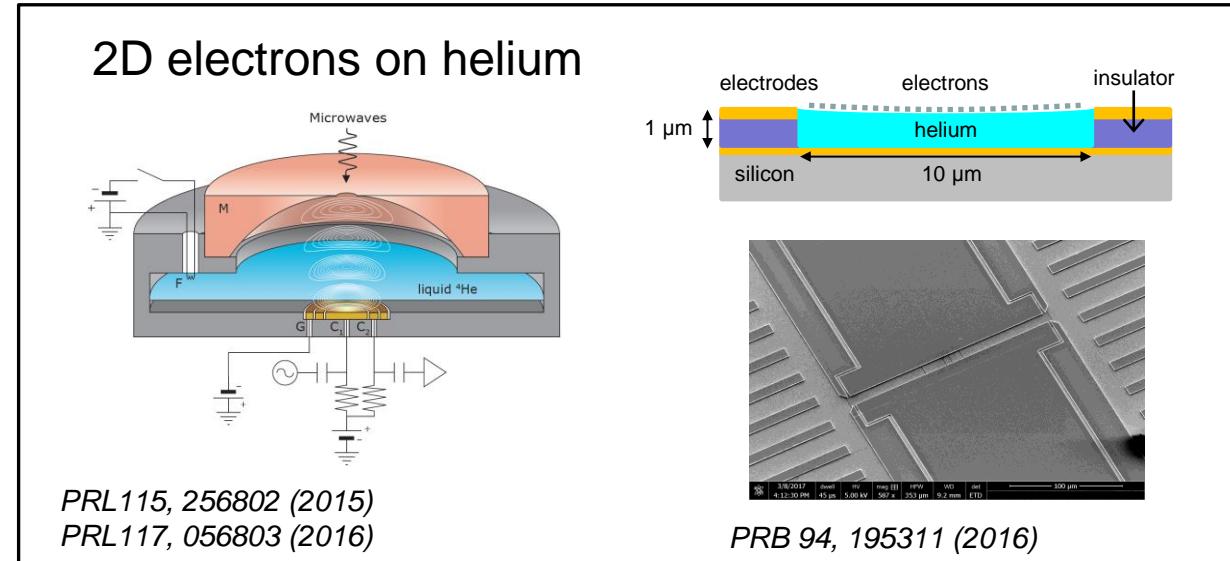


Photoconductivity response at cyclotron-resonance harmonics in electrons-on-helium system



Denis Konstantinov
Quantum Dynamics Unit
Okinawa Institute of Science and
Technology (OIST)

Quantum Dynamics Unit (QDU)



Outline of the talk

- Photo-excited magnetotransport in 2DEG in semiconductors
- Photoconductivity response in electrons-on-helium system
- First observation of polarization dependence

Theoretical support from
Yuriy Monarkha, IELTP, Kharkov



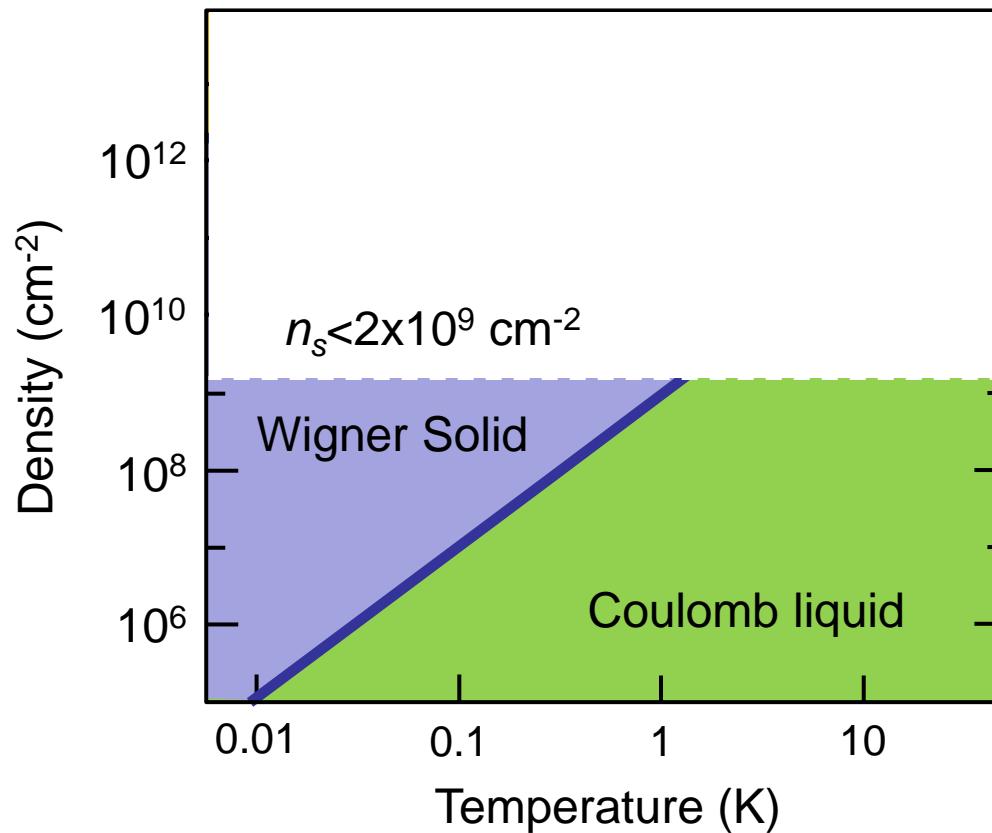
2DES: in semiconductors and on helium

$$r_p = \frac{V_C}{E_f} = \frac{e^2 \sqrt{\pi n_s}}{4\pi\epsilon\epsilon_0} \frac{m^*}{\hbar^2 \pi n_s}$$

Quantum fluctuations

$$\Gamma_p = \frac{V_C}{E_{th}} = \frac{e^2 \sqrt{\pi n_s}}{4\pi\epsilon\epsilon_0 k_B T}$$

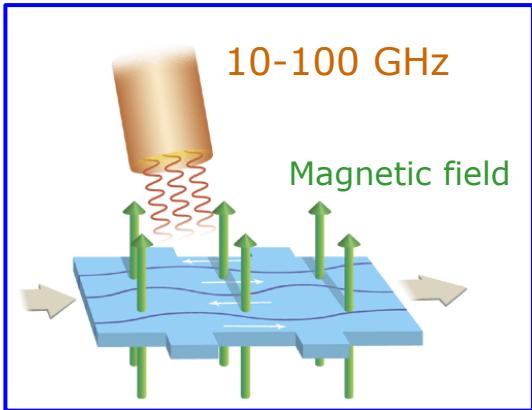
Thermal fluctuations



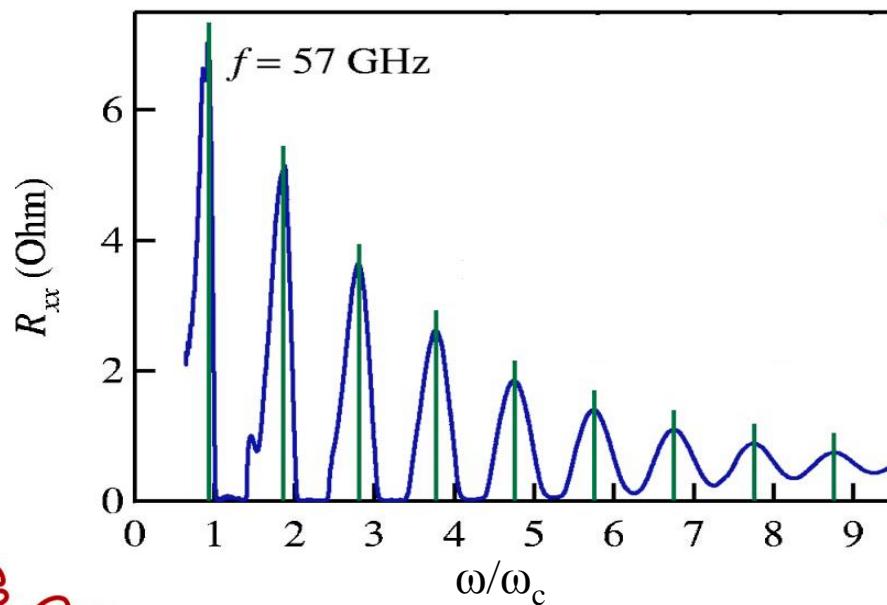
No **Quantum Hall Effects**, but beautiful many-body physics of
strongly correlated 2DES with well understood disorder!

Microwave-Induced Resistance Oscillations (MIRO)

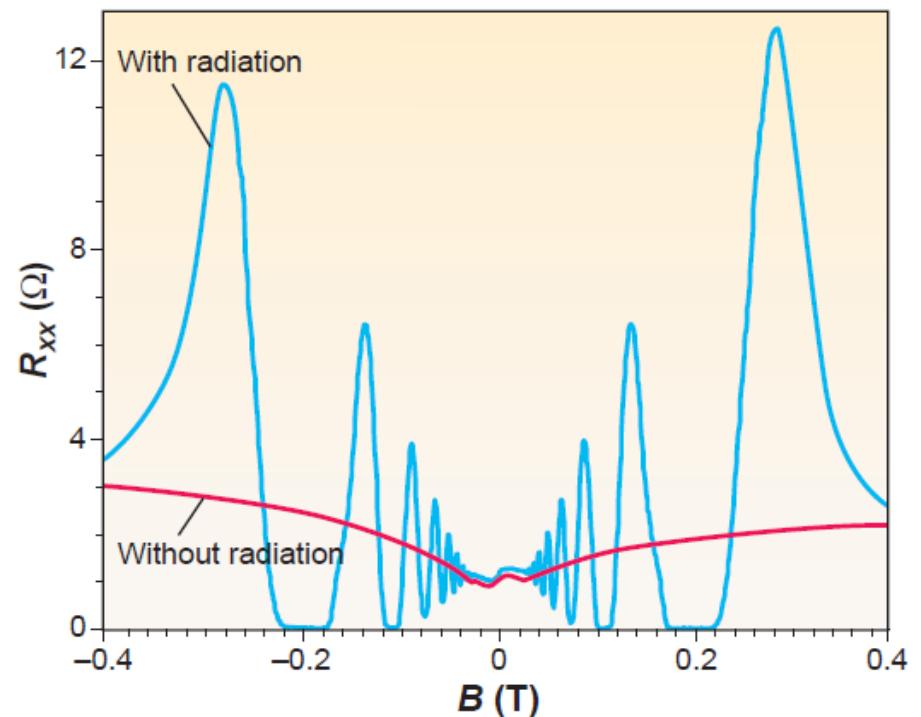
2DEG in GaAs heterostructures:



$$R_{xx} = \frac{V_x}{I_x}$$



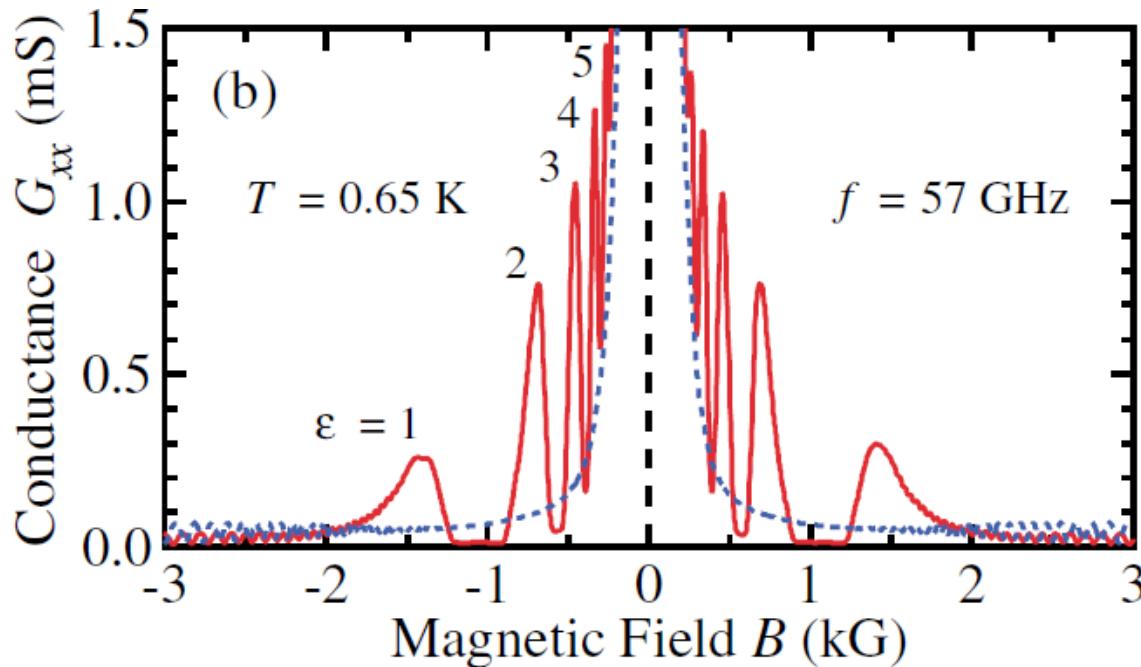
R. Mani et al, Nature 420, 646 (2002)



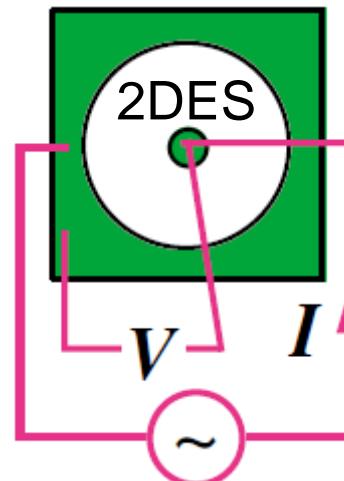
$$R_{xx} \rightarrow 0$$

Zero-Resistance States (ZRS)

MIRO and ZRS in semiconductors



Corbino electrodes



$$G_{xx} = \frac{I_x}{V_x}$$

$$\sigma_{xx} = \frac{\rho_{xx}}{\rho_{xx}^2 + \rho_{xy}^2}$$

Yang et al, PRL 91, 096803 (2003)

$$\frac{\partial \rho_s}{\partial t} = -\nabla \vec{j} = \sigma \nabla_r^2 V$$

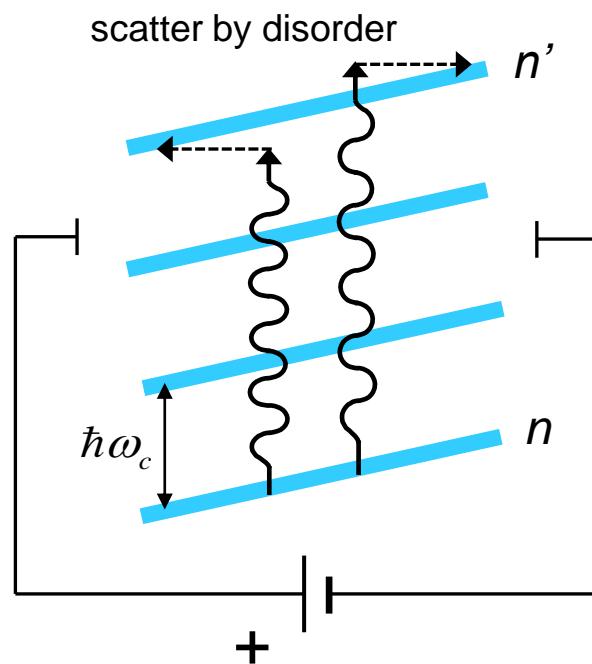
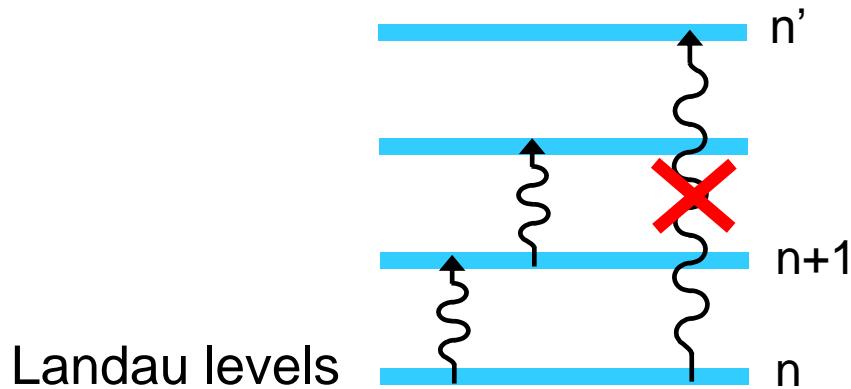
$$\nabla^2 V = -\rho_s \delta(z)$$

$$\delta\rho_k \sim \exp\left(-\frac{\sigma k}{2} t\right) \rightarrow \infty$$

Instability and formation of current domains

Andreev, Aleiner, Millis, PRL 2003

Mechanism of MIRO in semiconductors



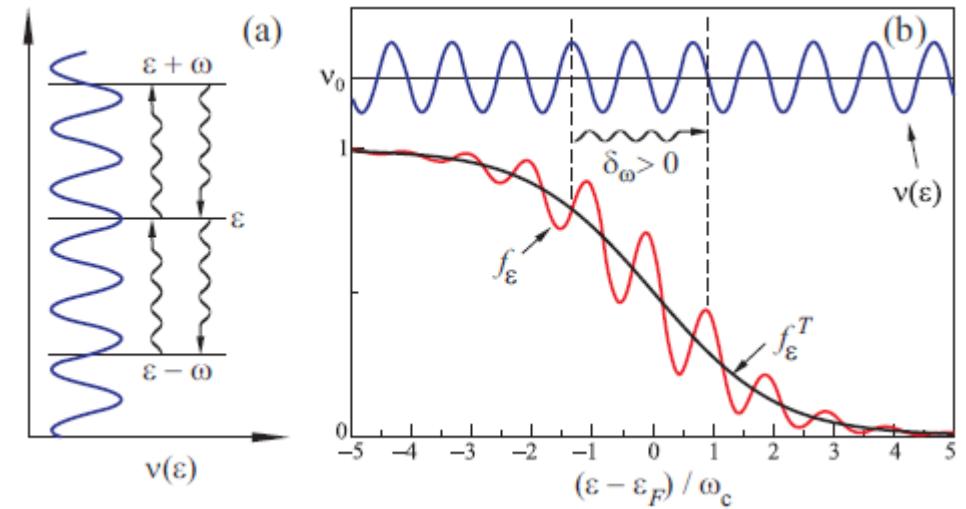
Displacement model

P. W Anderson, W. F. Brinkman: arXiv:0202129

Durst et al. PRL 91, 086802 (2003)

V. I. Ryzii, Sov. Phys. Solid State, 11, 2078 (1970)

Inelastic model



For review see Dmitriev et al. RMP 84, 1709 (2012)

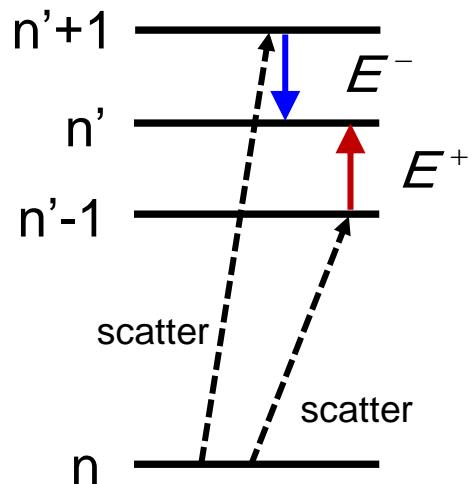
Displacement model for electrons on helium

Matrix element of interaction with MW:

$$\langle n', X' | H_{e-MW} | n, X \rangle = \frac{eI_B \delta_{X,X'}}{\sqrt{2}} \left[\sqrt{n} \delta_{n',n-1} (E^+ e^{i\omega t} + E^- e^{-i\omega t}) + \sqrt{n+1} \delta_{n',n+1} (E^+ e^{-i\omega t} + E^- e^{i\omega t}) \right]$$

In the second order:

$$w_{i \rightarrow f} = \frac{2\pi}{\hbar} \left| \sum_m \frac{\langle f | H_{int} | m \rangle \langle m | H_{int} | i \rangle}{E_i - E_f} \right|^2 \delta(E_f - E_i - \hbar\omega),$$



where

$$H_{int} = H_{e-MW} + H_{e-ripple}$$

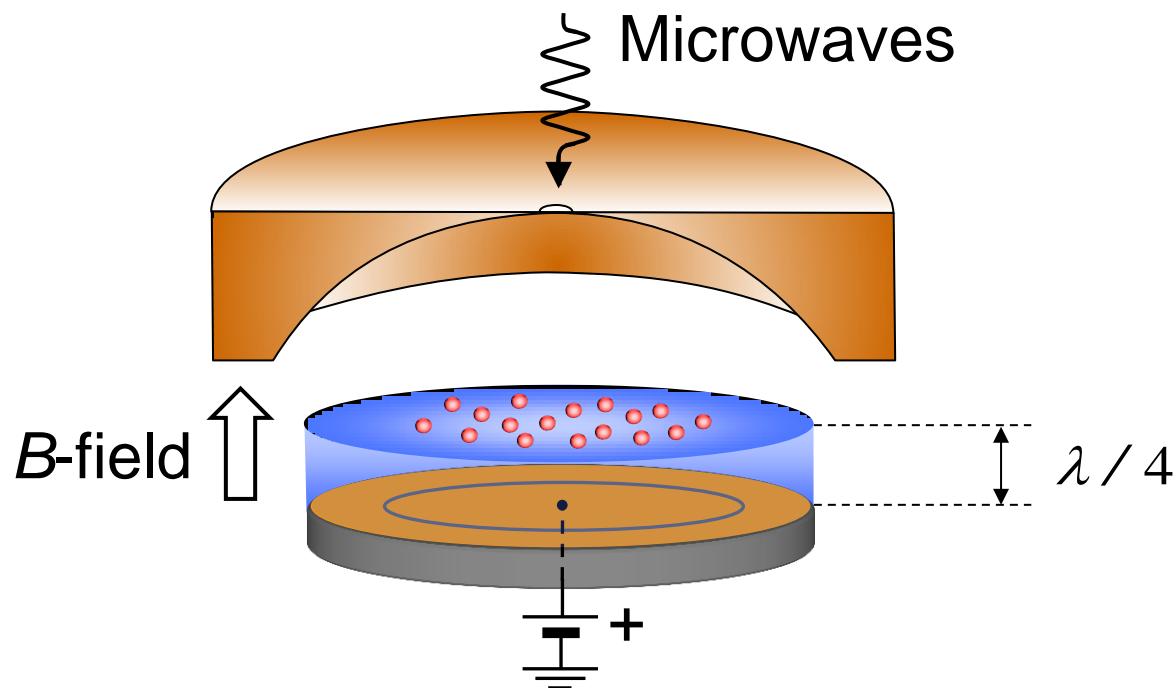
Contributes to dc conductivity of electrons!

$$\sim \frac{e^2 E_{MW}^2}{4m_e^2 \omega^2 I_B^2}$$

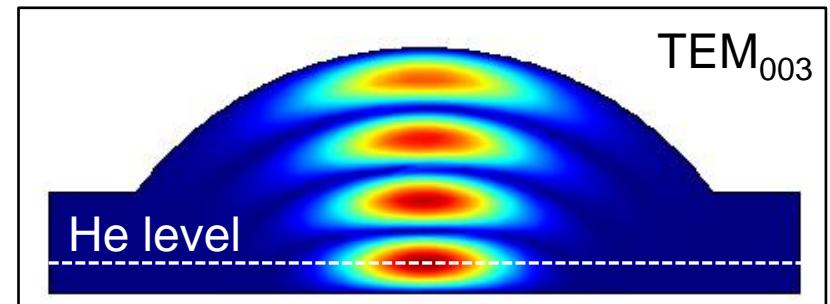
$$\sigma_{xx} = \frac{en_s I_B}{E_{dc}} \sum_q q_y (w_{r,q} + w_{MW,q})$$

Yu. Monarkha, Low Temp. Phys. 40, 482 (2014)

Electrons-on-helium system **in cavity**



Resonant mode: TEM_{00q}
Frequency : 35-90 GHz
Quality factor: 1,000-10,000



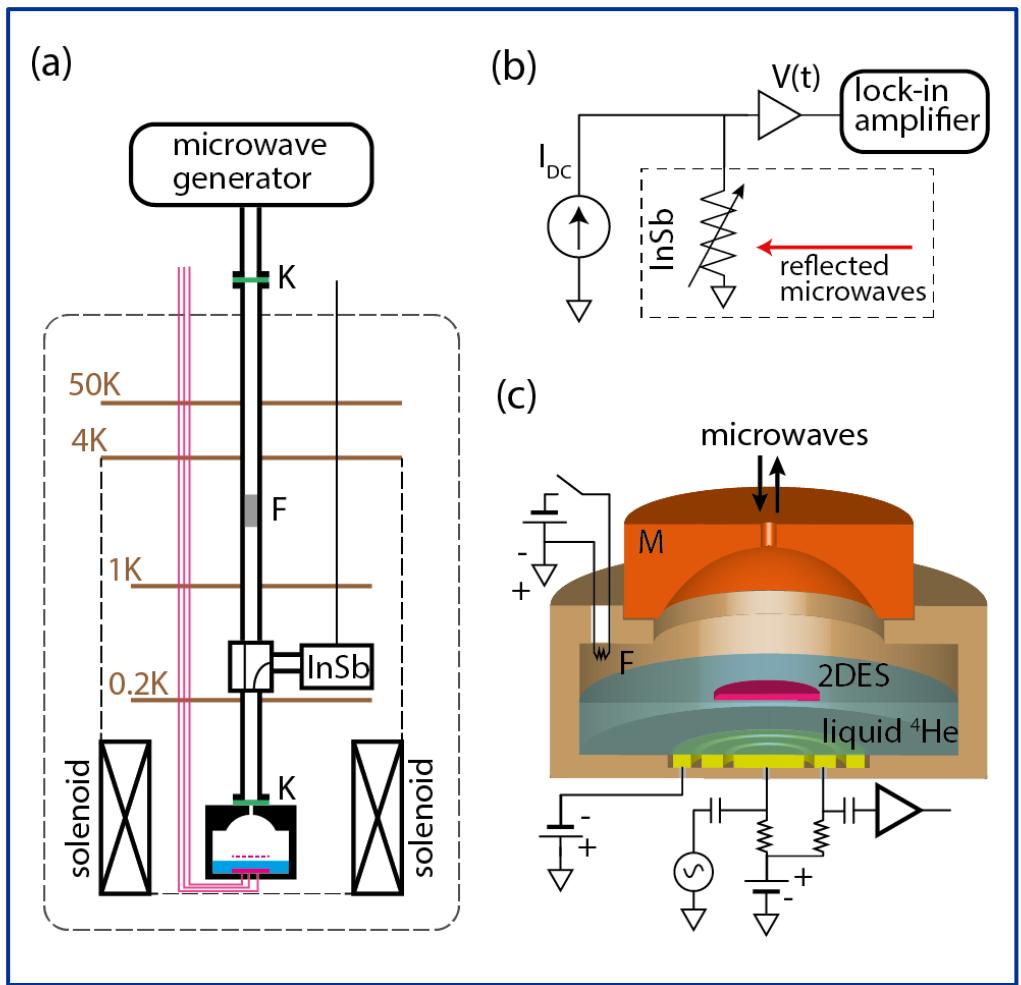
For input MW power $P_{in} \approx 100 \mu\text{W}$

$$E_{MW} = \sqrt{\frac{\eta_0 P_{in}}{S_w}} \approx 0.3 \text{ V/cm}$$

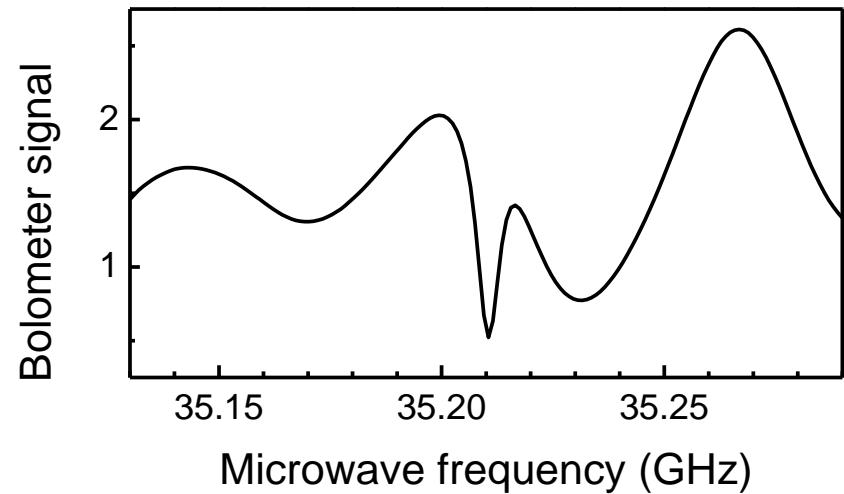
In a high-Q cavity

$$E_C = \sqrt{\frac{Q P_{in}}{S_w \epsilon_0 \lambda \omega}} \approx \sqrt{\frac{Q}{2\pi}} E_{MW}$$

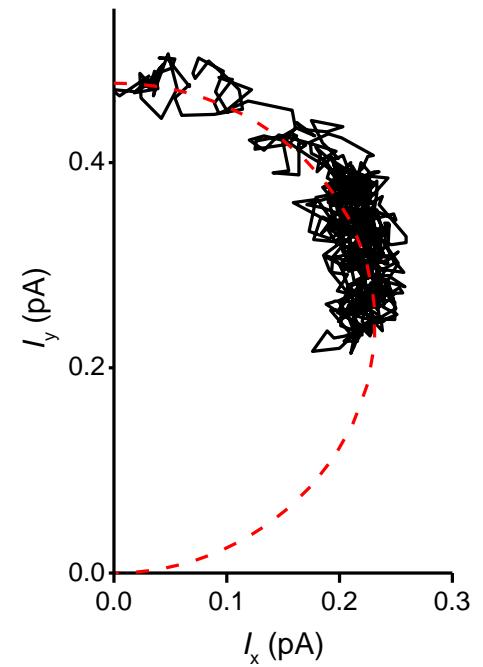
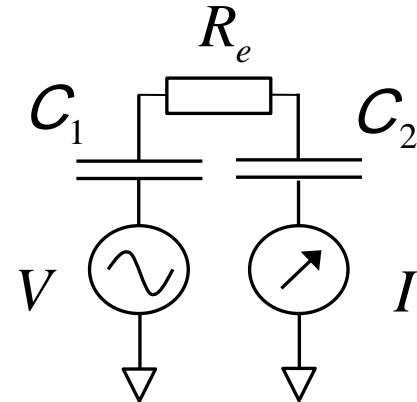
Experimental setup



Abdurakhimov et al., PRL 117, 056803 (2016)

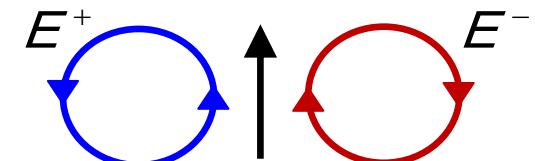
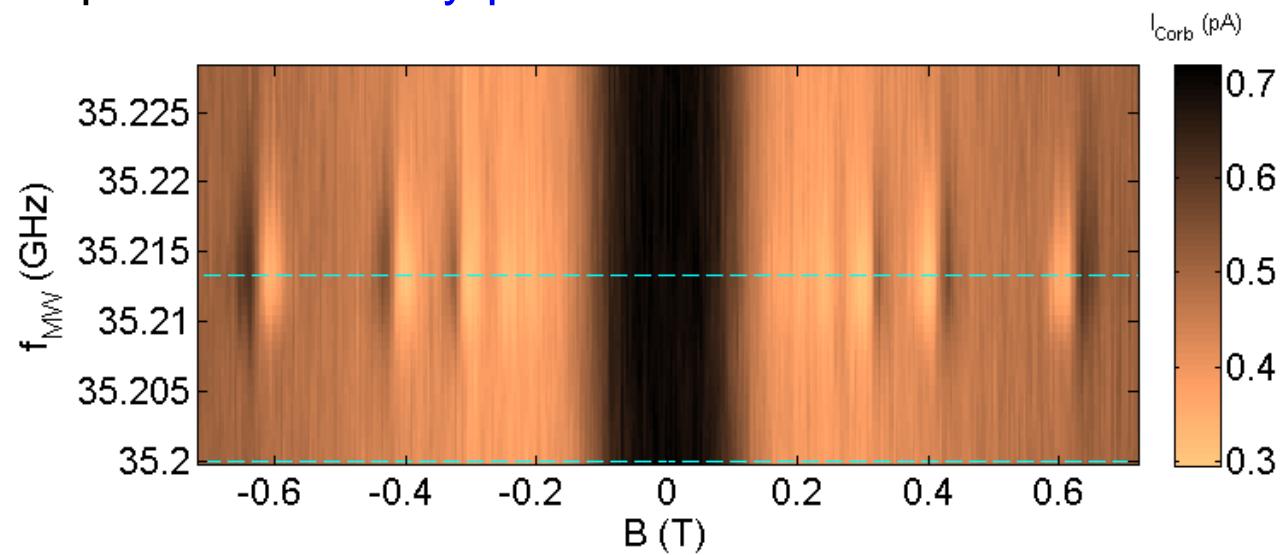


Sommer-Tanner

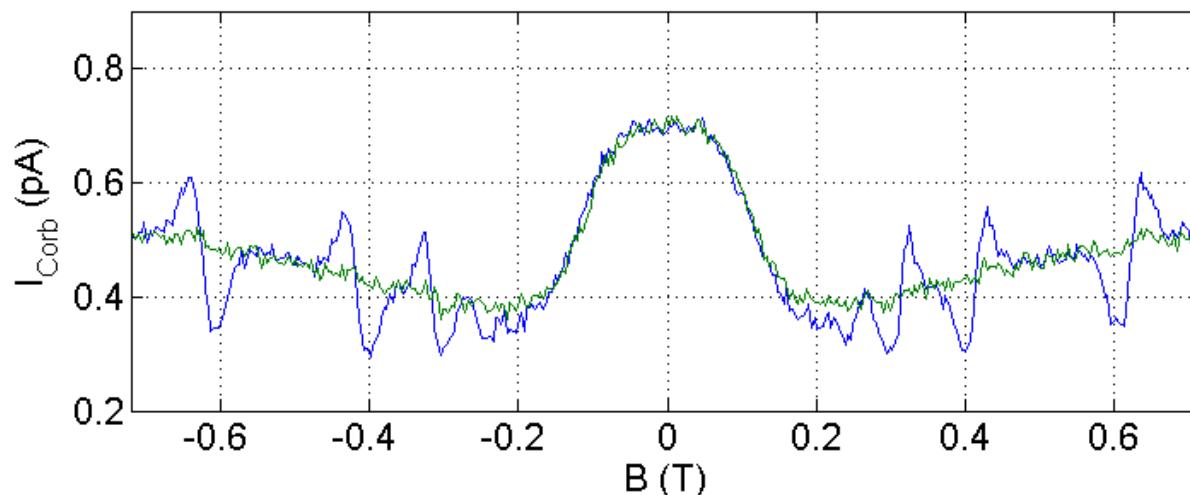


MIRO in electrons on helium

MIRO response to **linearly-polarized** microwave field

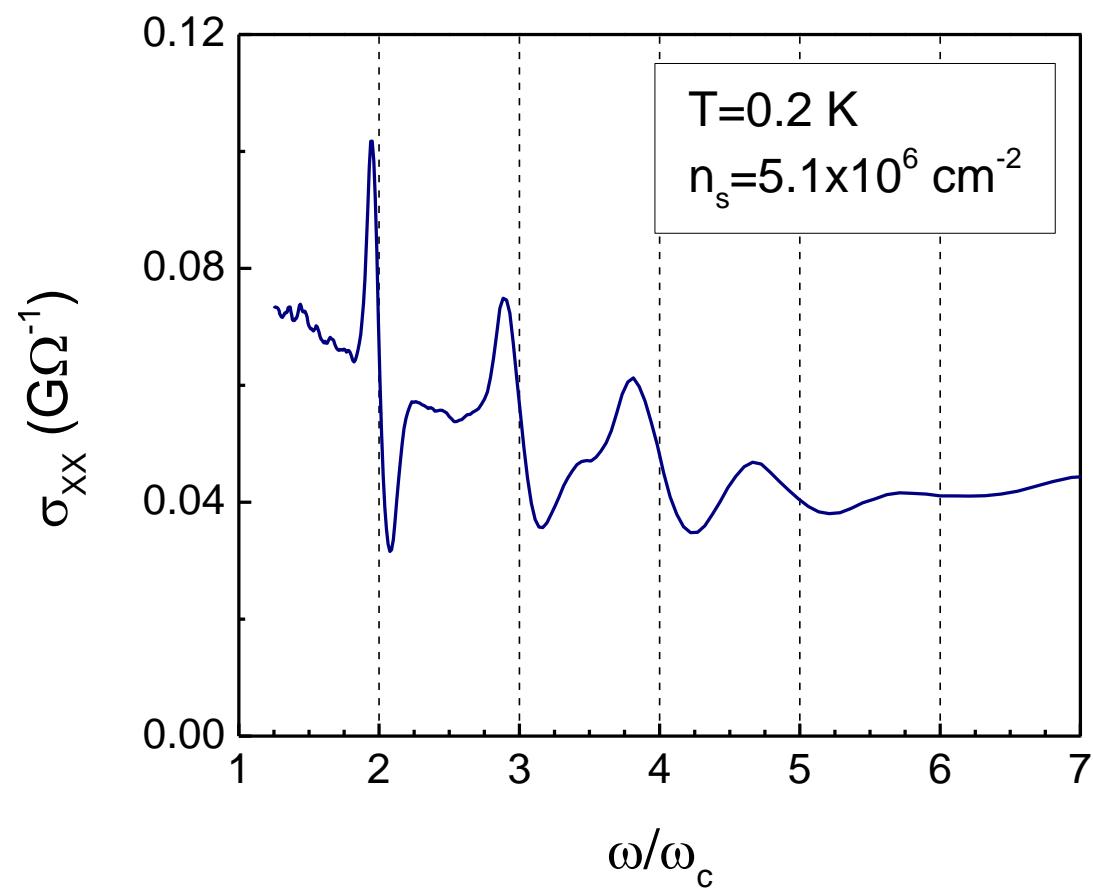
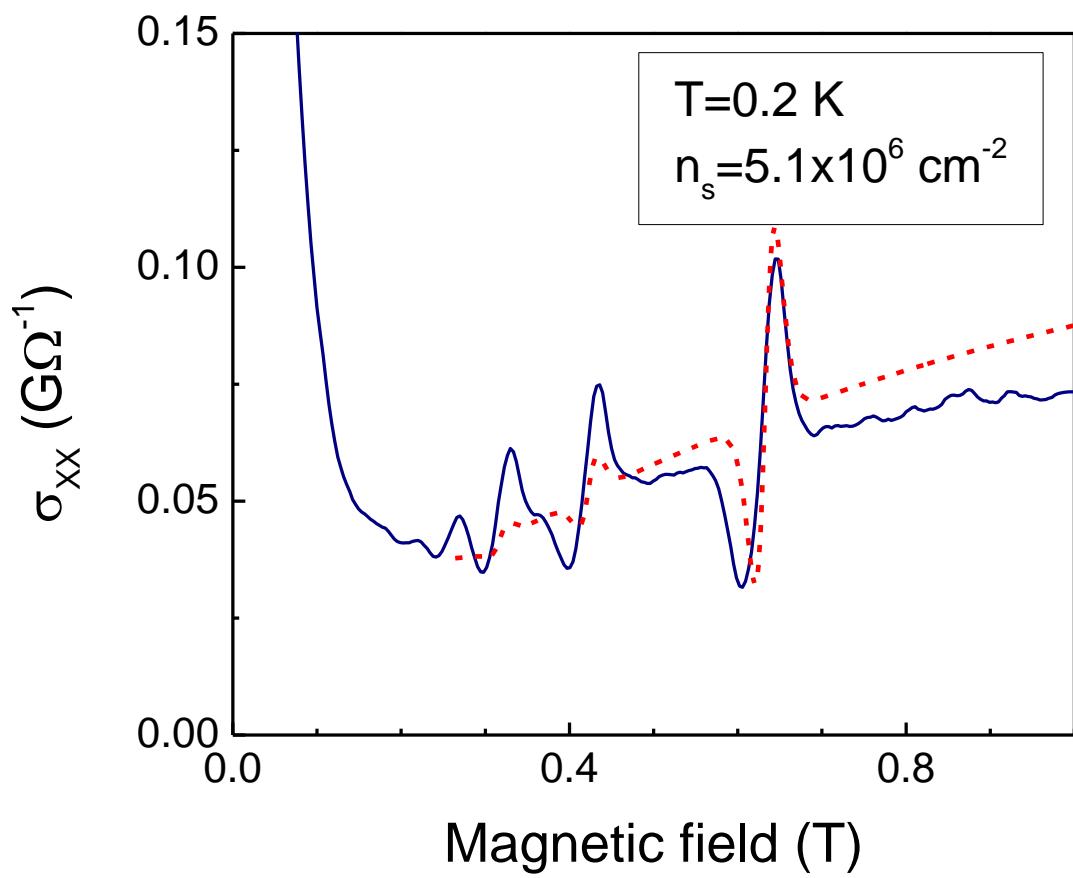


Linearly-polarized
35 GHz microwaves

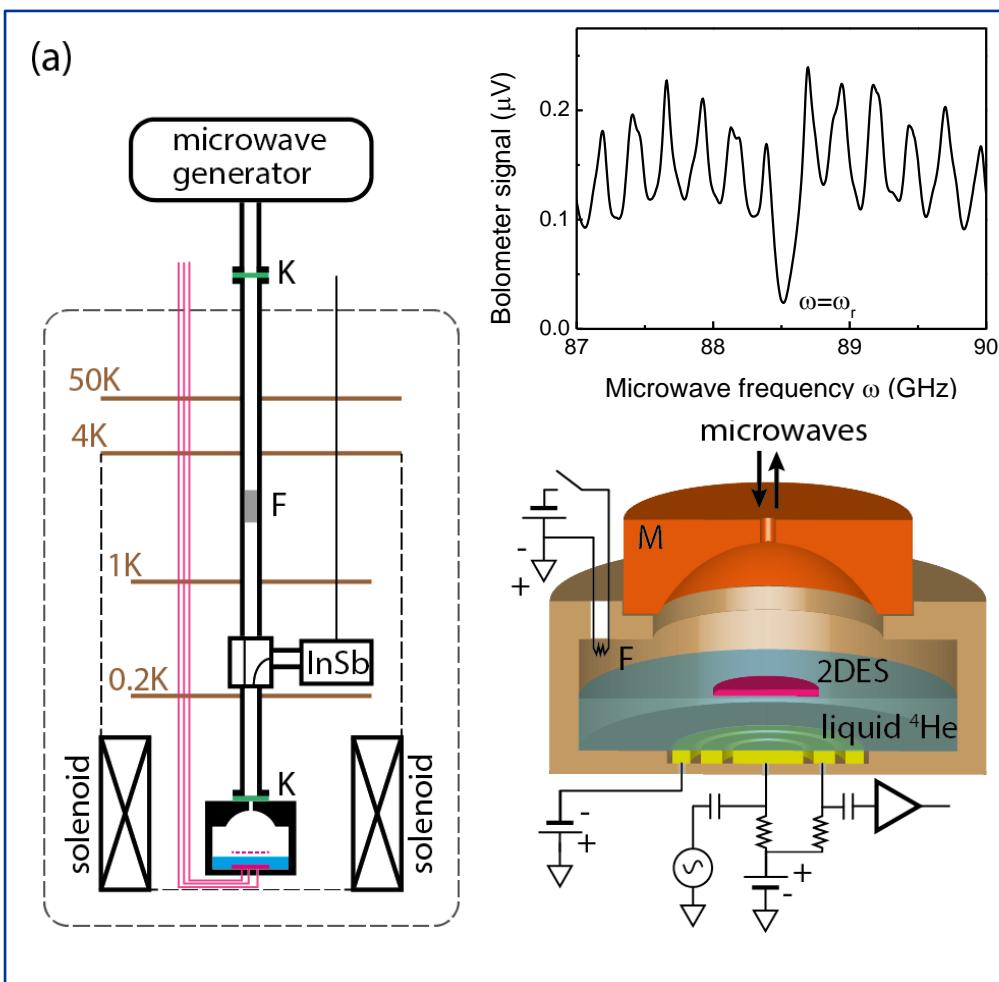


MIRO in electrons on helium

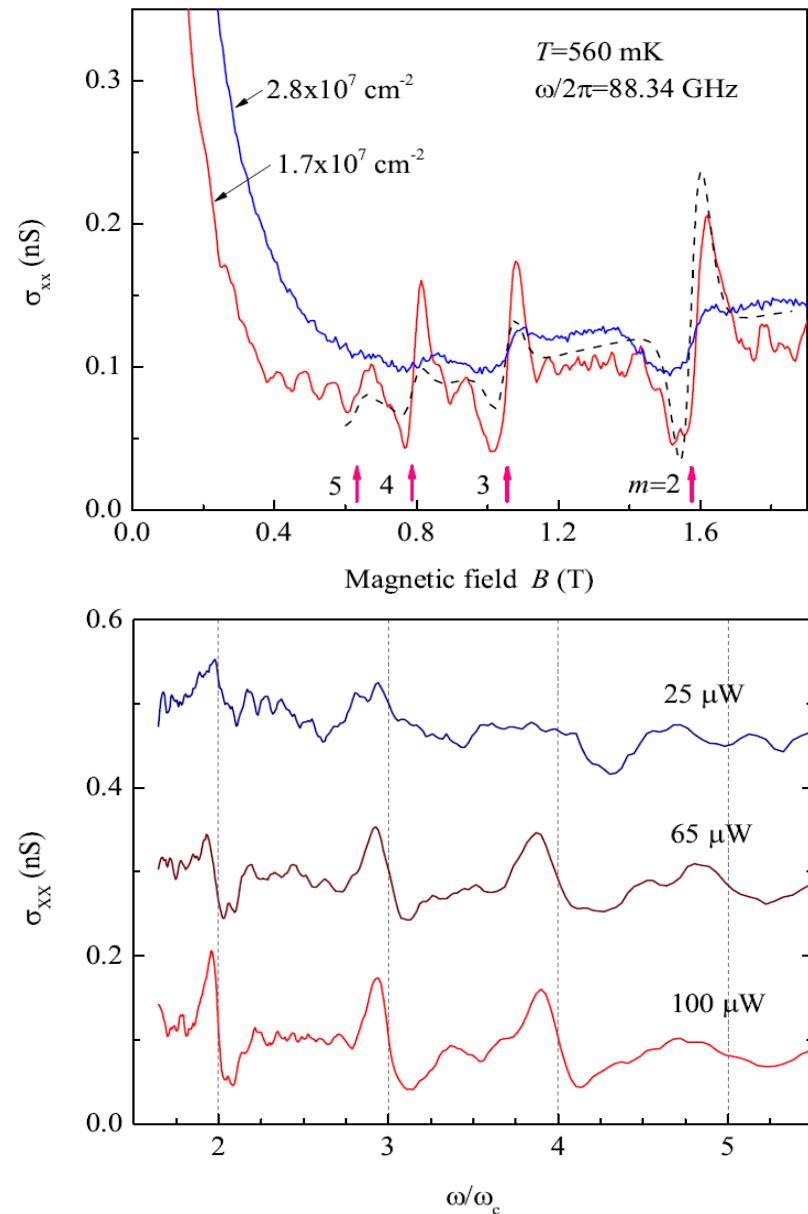
Theoretical calculations by Yuriy Monarkha



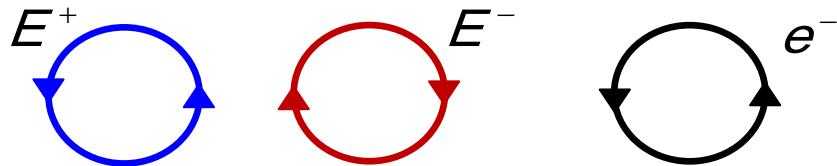
MIRO in electrons on helium: experiment at 90 GHz



Yamashiro et al., PRL 115, 256802 (2015)



Effect of MW polarization: displacement mechanism



$$\sigma_{xx} = \frac{en_s l_B}{E_{dc}} \sum_q q_y (w_{r,q} + w_{MW,q}),$$

$$\text{where } w_{MW,q} \propto \frac{e^2 E_{MW}^2}{4m_e^2 \omega^2 I_B^2} \times \left| \frac{E^- e^{i\varphi}}{\omega_c + \omega} - \frac{E^+ e^{-i\varphi}}{\omega_c - \omega} \right|^2$$

Yu. Monarkha, Low Temp. Phys. 43, 819 (2017)

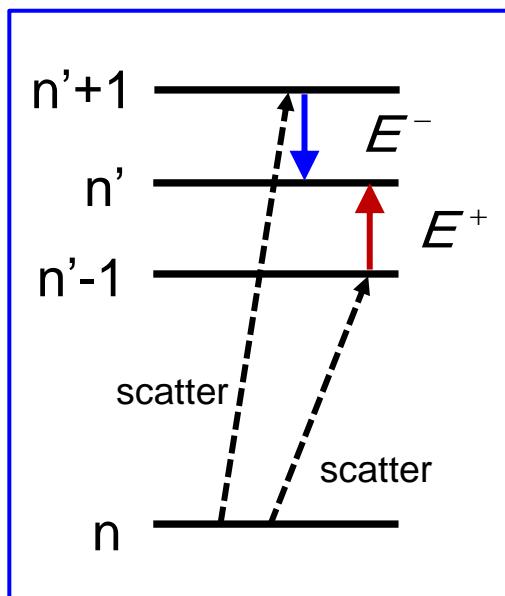
After summing over ripplon wavevectors \mathbf{q}

$$\Delta\sigma_{xx} \propto \frac{|E^-|^2}{(m+1)^2} + \frac{|E^-| \times |E^+|}{m^2 - 1} + \frac{|E^+|^2}{(m-1)^2},$$

where $m = \frac{\omega}{\omega_c}$.

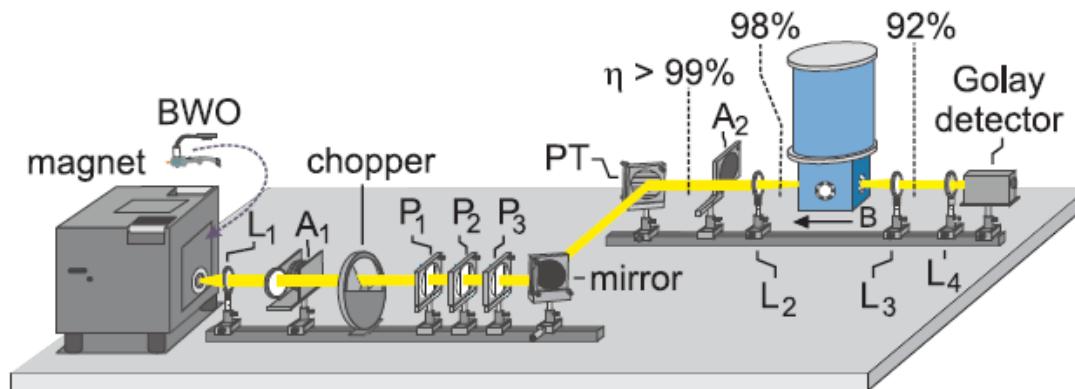
$$\text{ratio} = \frac{(m+1)^2}{(m-1)^2}$$

Effect of MW polarization

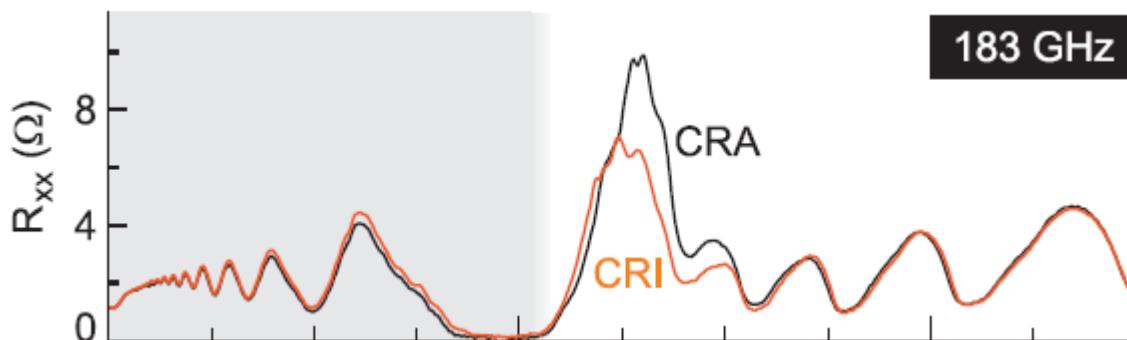


MIRO should depend on polarization of microwaves!

But .. in semiconductors they don't!!



Smet et al. PRL 95, 116804 (2005)

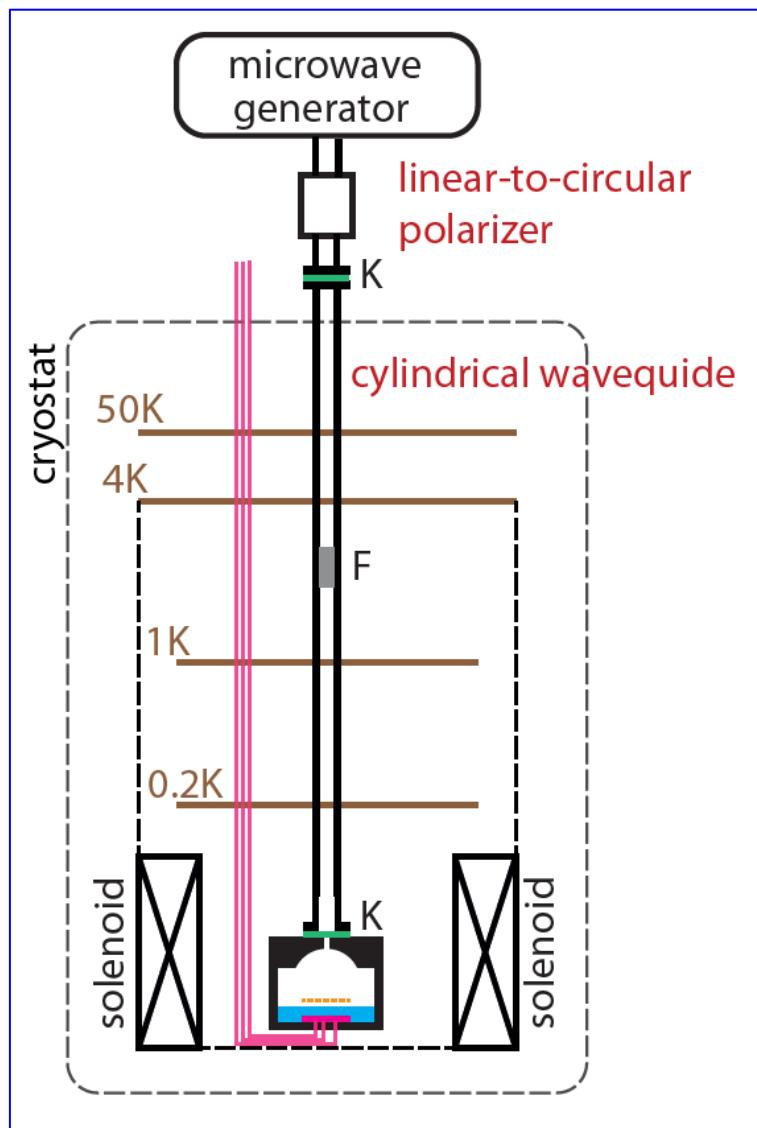


MIRO are completely immune to the sense of circular polarization!!

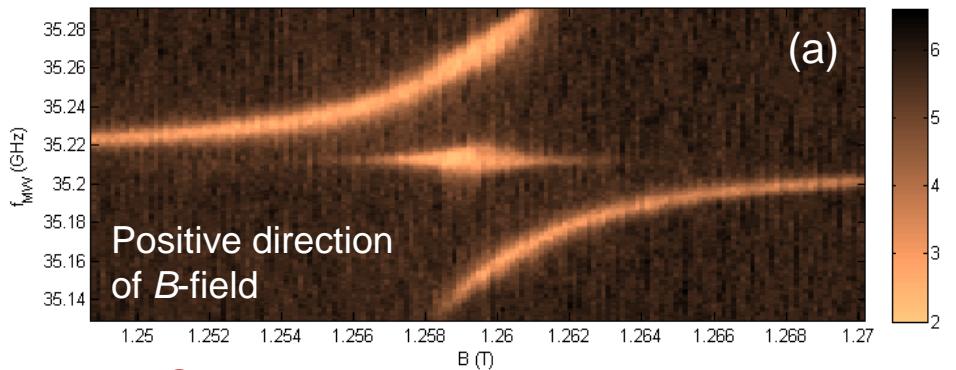
..also, later experiments by

Ganichev et al.

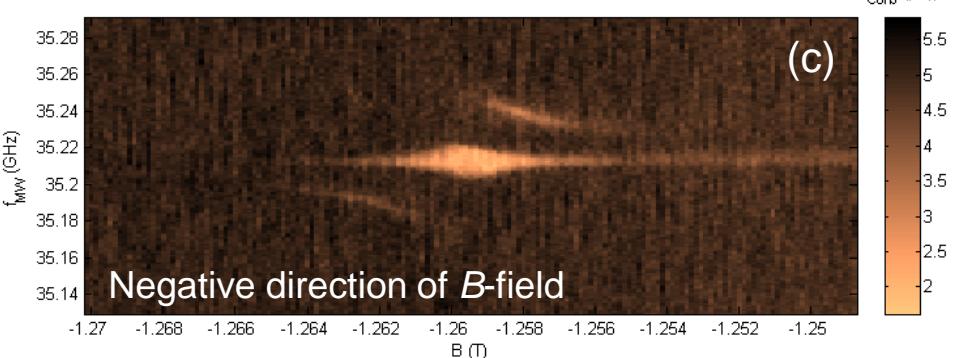
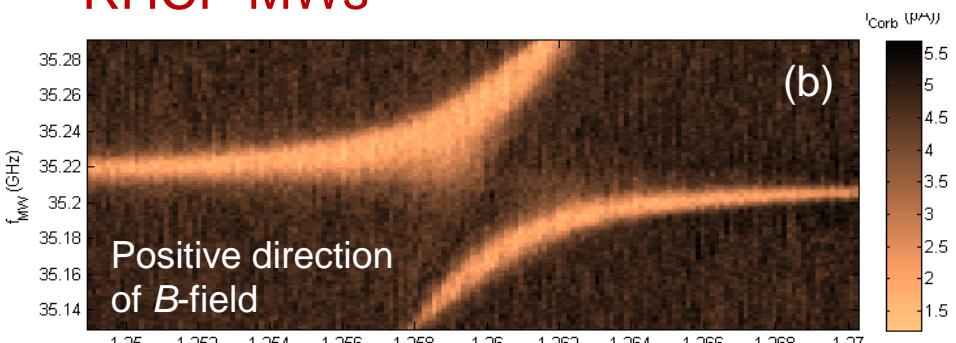
Effect of MW polarization: Cyclotron Resonance



Linearly-polarized MWs

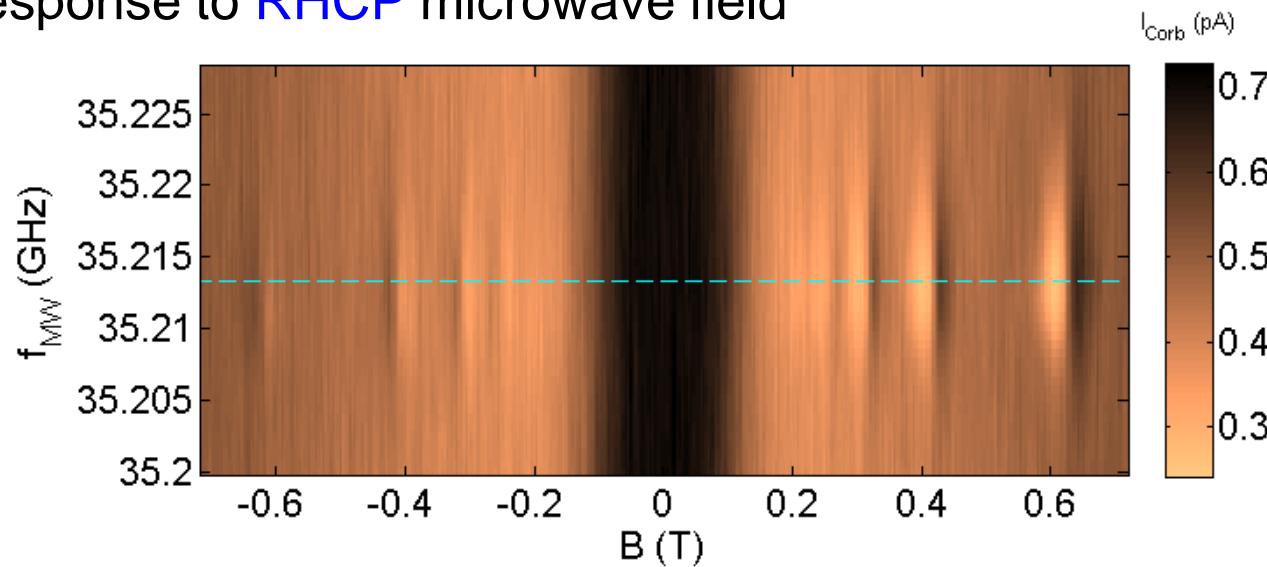


RHCP MWs

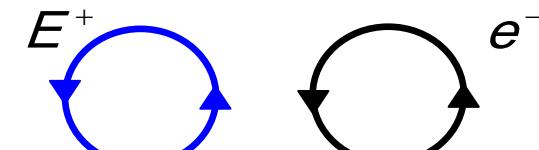


Effect of MW polarization: MIRO

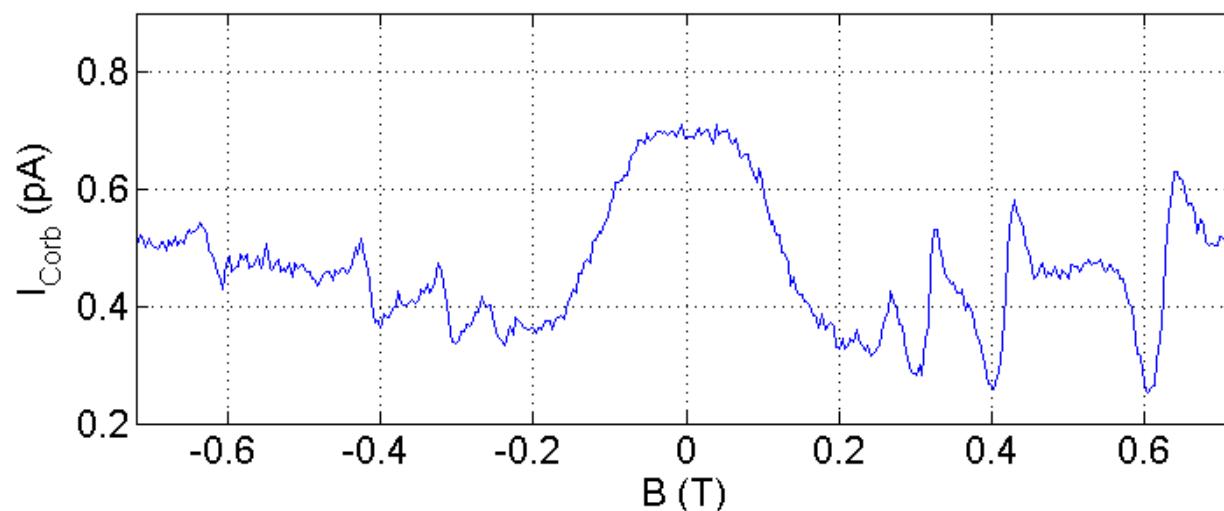
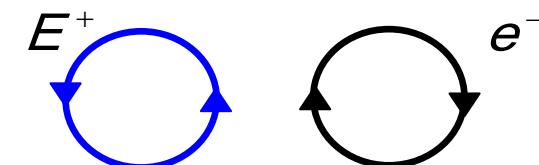
MIRO response to **RHCP** microwave field



Positive direction
of B -field

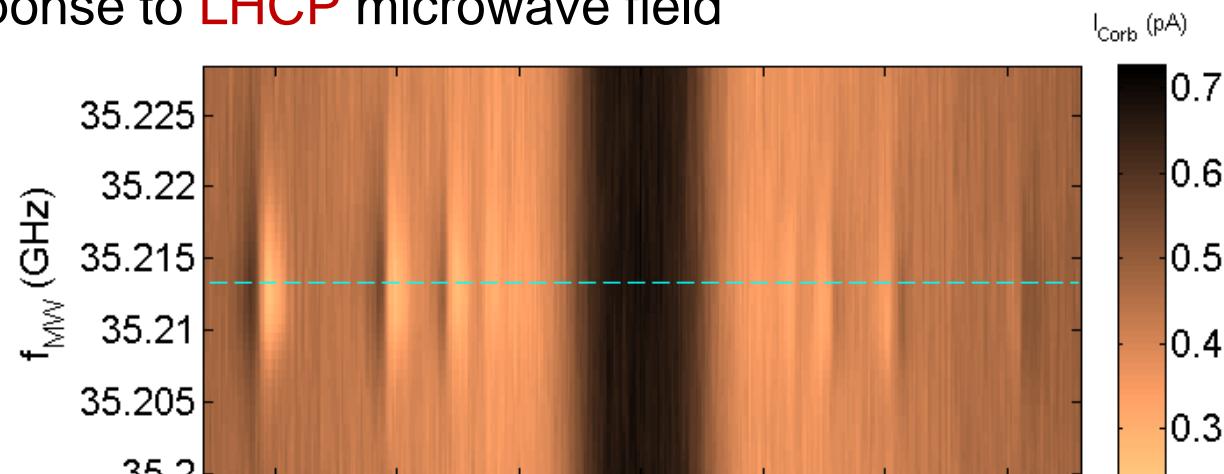


Negative direction
of B -field

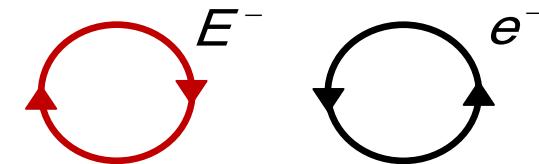


Effect of MW polarization: MIRO

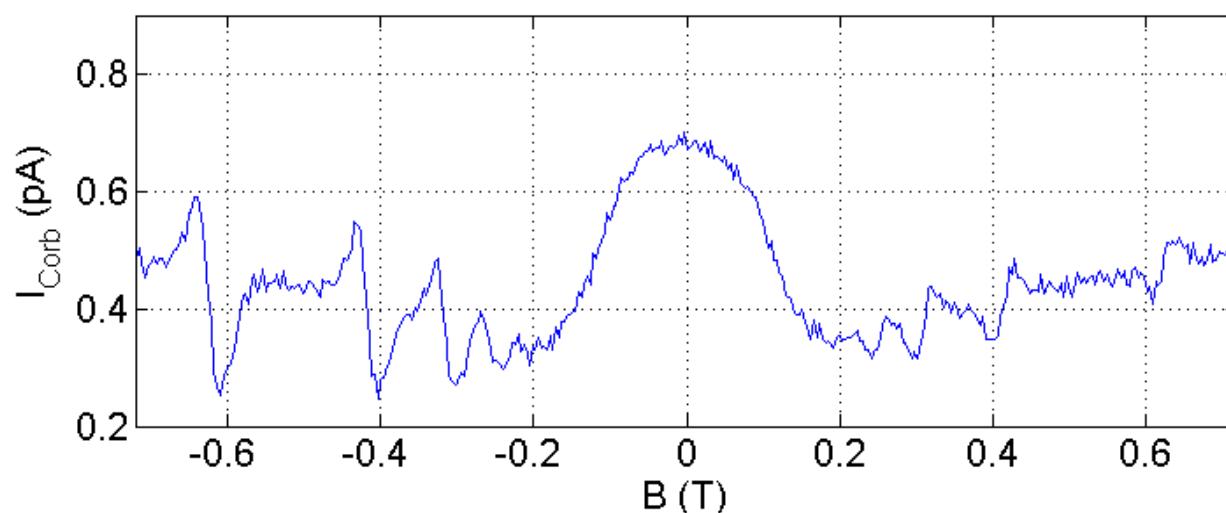
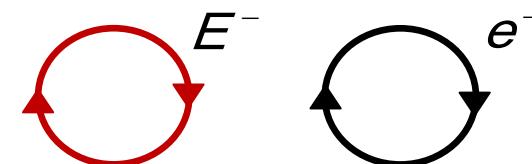
MIRO response to LHCP microwave field



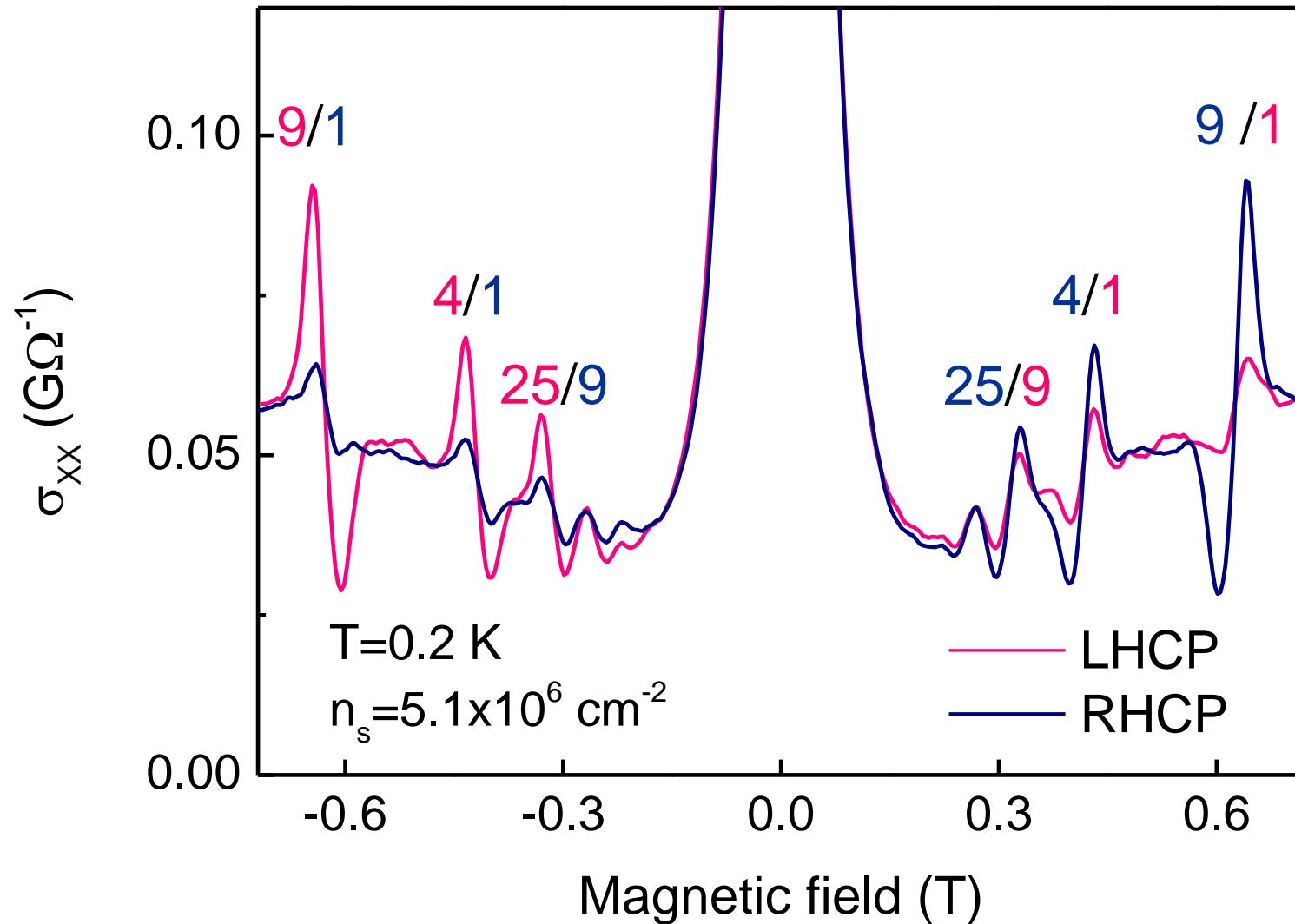
Positive direction
of B -field



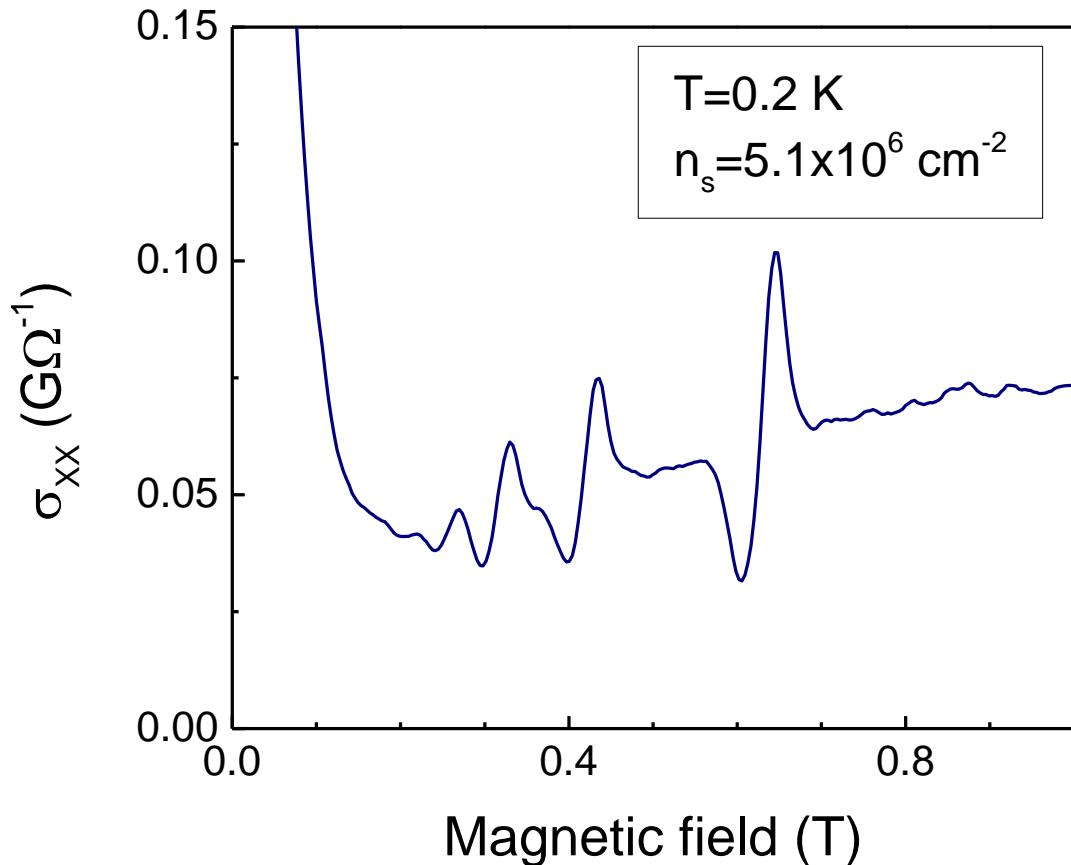
Negative direction
of B -field



Effect of MW polarization: MIRO



Summary



First observation of MIRO in the electron-on-helium system

Both displacement and inelastic are applicable for electrons on helium and account reasonably for experiment

Polarization dependence is confirmed experimentally for the first time and consistent with both models